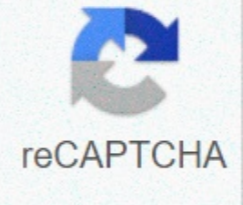




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Pump isentropic efficiency

In previous sections, we assumed that gas expansion was isentropic and therefore we used T4 as the output temperature of the gas. These assumptions can only be applied with ideal cycles. The most constant flow devices (turbines, compressors, nozzles) work under adiabatic conditions, but they are not really isentropic but are quite idealized for computational purposes. We define the parameters η_T , η_C , η_N as the actual work rate made by the device when operated under isentropic conditions (in the case of turbines). This ratio is known as Isentropic Turbine / Compressor / Nozul Efficiency. These parameters explain approximately how efficiently an isentropic device corresponds to a turbine, compressor or nozzle. This parameter reduces overall efficiency and operating output. For turbines, the η_T value is usually 0.7-0.9% (70-90%). Isentropic process is a special case of adiabatic processes. This is a renegable adiabatic process. An isentropic process can also be called a constant entropy process. Let's assume an isentropic expansion of helium (3 - 4) in a gas turbine. In these turbines, the high pressure stage receives gas (figure 3 point; p3 = 6.7 MPa; Consume T3 = 1190 K (917°C)) from a heat changer to another Heat riser where the output pressure is p4 = 2.78 MPa (dot 4). The temperature for the isentropic process of gas in turbines is T4s = 839 K (566°C). Calculate the work done by this turbine and calculate the actual temperature at the turbine output when the isentropic turbine efficiency is 0.91 (91%). Solution: Thermodynamics first law, the work done by the turbine in the process of an isentropic can be calculated: $W_T = h_3 - h_{4s}$ → $W_Ts = c_p (T_3 - T_{4s})$ Ideal Gas Law as we know, molar specific temperature of monatomic ideal gas: $C_v = 3/2R = 12.5$ J/mol K and $C_p = C_v + R = 5/2R = 20.8$ J/mol K We transferring certain heat capacities to J/kg K units: $c_p = 1/M$ (low weight of helium) = $20.8 \times 4.10^{-3} = 5200$ J/kg After the work of the gas turbine in the isentropic process: $W_Ts = c_p (T_3 - T_{4s}) = 5200 \times (1190 - 839) = 1,825$ MJ/kg Gaz turbine's actual work in the adiabatic process is: $W_{T,real} = c_p (T_3 - T_{4s})$. $\eta_T = 5200 \times (1190 - 839) \times 0.91 = 1.661$ MJ/kg Find the isentropic efficiency of the pump: $\text{eff}_{\text{pump}} = (h_{4s} - h_3) / (h_4 - h_3)$ status 3: p3=1.5 bar, h3=467.11, x3=0, v3=1.0528/1000 m³/kg, s3=1.4336 kJ/kg*K, T3=111.4 deg C state 4: p4=60 bar, h4=474.14, compressed liquid state 4s: p4=60 bar, s3=s4s Those who were not given red values to me, I looked at them. How do I find an h4s value? I went to compressed liquid tables and tried looking at 60 bar entalpi, but my tables have only 50 bars and 75 bars. So I'm supposed to be between these two tables? I need to find the temperatures. 3 and 4 before I tried interpolate? I lost it because of this problem. Homework Equations Solution Essay Answers and Answers Find the isentropic efficiency of the SteamKing Pump: $\text{eff}_{\text{pump}} = (h_{4s} - h_3) / (h_4 - h_3)$ status 3: p3=1.5 bar, h3=467.11, x3=0, v3=1.0528/1000 m³/kg, s3=1.4336 kJ/kg*K, T3=111.4 deg C state 4: p4=60 bar, h4=474.14, compressed liquid state 4s: p4=60 bar, s3=s4s Those who were not given red values to me, I looked at them. How do I find an h4s value? I went to compressed liquid tables and tried looking at 60 bar entalpi, but my tables have only 50 bars and 75 bars. So I'm supposed to be between these two tables? 3 and 4 before you start interpolation. I lost it because of this problem. The attempt at the Task Equations Solution 25 bar sounds like a big step between taboo values, even for compressed liquid. I recommend getting a better table to use for 60 bar compressed liquid values. NIST publishes some good tables on-line for this multi-purpose: try this table and see if it helps. If you have any other questions, please send them. Jdawg loves this table is much better! So s3=s4s=1.4336 kJ/kg*K. I went and looked at the 6MPa table and thought I could find the entropy value of the lowest entropy value of 6.0703. 1.4336 and find the entalpi on the pressure table. Did I misead entropy in state 3? SteamKing This table is much better! So s3=s4s=1.4336 kJ/kg*K. I went and looked at the 6MPa table and thought I could find the entropy value of the lowest entropy value of 6.0703. 1.4336 and find the entalpi on the pressure table. Did I misead entropy in state 3? You're looking at the wrong page. Going back to the previous page, you'll find lower entropy values for compressed liquid at P = 6.0 MPa. Loves jdawg Oh ok! So I tried to interpolation between s1=1.4139 h1=465.68 and s2=1.4686 and h2=486.77 I found h4s=458.1 I put all my values into the formula of isentropic efficiency and found it with a negative percentage... Could I have made the wrong interpolation? SteamKing Oh done! So I tried to interpolation between s1=1.4139 h1=465.68 and s2=1.4686 and h2=486.77 I found h4s=458.1 I put all my values into the formula of isentropic efficiency and found it with a negative percentage... Could I have made the wrong interpolation? yes, you messed up. h = 458.1 h = less than 465.68. The correct value for h will be between 465.68 and 486.77. Hmm... What you're saying makes perfect sense. I continue to get 458.1 for my h4s value though. $y = y_1 + (x_1 - x) [(y_2 - y_1) / (x_2 - x_1)]$ enthalpy=y and entropy=x h4s=465.68+(1.4139-1.4336)/((486.77-465.68)/(1.4686-1.4139)) almost positive the correct values... Haha oops ... I think it was my formula, so let's see if this fixes it! Thank you so much for your help! W.G. Le Roux, J.P. Meyer, Clean Energy for Sustainable Development, 2017 Commer isentropic efficiency, compressor corrected mass flow rate, compressor pressure ratio and rotational speed are internally combined and available from the compressor map [8.43]. Garrett standard off-the-shelf turbocharger compressor and turbine maps [8] are accepted. Compressor isentropic efficiency and shaft speed are achieved by interpolation. The compressor compressor must work in the map range, otherwise flow fluctuation or suffocation may occur. Ref. According to [23], turbine efficiency, Eq. (6.28) and Eq. (6.29) is determined by calculating the blade speed ratio [44-46]. The blade speed ratio is a function of input entalpi, pressure ratio, turbine wheel diameter and rotational speed [23.45]. According to Guzzella and Onder [47], in automotive applications, typical values for maximum turbine efficiency are maximum=0.65-0.75. The system said that the mass flow rate is equal to the actual turbine mass flow rate, and that the P7 is in pounds per square inch, and the T7 is at Fahrenheit degrees, respectively. (6.30) [8]. (6.28) $BSR = 2\pi N_60 (Dt)^2 [2h_{in}(1-r_1-kk)]^{1/2} (6.29) \eta = \eta_{t,max} (1 - (B SR - 0.60.6)^2) / (6.30) m \text{ cf} \times P^{7/14.7} (T^{7+460})^{5/19}$ Claire Soares, Gas Turbines, 2008 Ingested rain evaporates in a compressor. (i) determine the change of output temperature as a result of changing assumptions about various amounts of work on liquid water, (ii) how many stages liquid water absorbs. The conditions are as follows: Blade speed (m/s) 700 Compressor PR 5 Compressor isentropic efficiency 0.86 Compressor stages ads 6 Water Air Temperature (K) 293 293 Pressure (kPa) 100 100 Cutle flow (kg/s) 1.0100 (i) Job Done Liquid Water From Formula 10.9 The work done during each compressor phase $dp_w = 0.5 \times W_{su} \times U_2: DPW = 0.5 \times 1 \times 700^2 DPW = 245$ kW evaporation per stage requires some temperature increase, so work will be done at least at some stage. The maximum number of stages will be exactly six: $DPW = 245$ kW minimum, and $6 \times 245 = 1470$ kW maximum (ii) Compressor Issue Compressor temperatures for dry air temperatures. Rule out changes in compressor performance due to intersmoking. $T_3 - T_2 = T_2 \times T_2 \times (P_3 Q_2 (y-1) / (y-1)) / \eta T A_2 T_3 - T_2 = 293 \times (5277 - 71) / 0.86 T_3 = 492$ K = 219°C Formed 10.7: $h_{\text{water}} = 3.1566 - 12 \times 206 - 2.934 \times 8 - 0.9 \times 205 + 1.0407 - 0.6 \times 204 - 0.16703 - 0.3 \times 203 + 0.01209 \times 15 \times 202 + 3.87675 \times 20 + 0.74591 h_{\text{water}} = 81.94$ kJ/kg Calculation of steam at the exit of the compressor using formula + 1] $P_w = 5 / ((0.622 / 0.01) + 1) P_w = 0.0791$ bar Calculation of steam using Formula 10.10 for more heated steam. Add work done on liquid water during the first compressor phase. $H_{\text{steam}} = 2.98 - 0.4 \times T_2 + 183 \times T_2 500 - 5.1420708 \times P / (T + 1276) - 3 - (1.0334237 \times P^3 - 6.4261331 \times P^5) / (T + 276) 14, 787$ QU water = (Hsteam - 81.94) × 1.0 - 245 Heating air entalpi due to heat absorbed by water now: $Q_{\text{air}} = 100 \times 1.005 \times (219 - T_{\text{mix}})$ Iterate $Q_{\text{air}} =$ to make Q_{water} , either using internal spreadsheet functions or manual updates. The nexic solution gives $T_{\text{mix}} = 193.5^\circ\text{C}$. (iii) Effect of Change in Mechanical Power Absorption Recall Made on liquid water per stage = repeat above iteration with 245 kW. $Q_{\text{air}} = Q_{\text{water}} + 245$: So the difference of a stage changes the mixed temperature by 2.4K; Five stages would change with a 12 K. Note: The presence of water for this small concentration of water may have been neglected, and the temperature change found only with the weather in mind. At this point, it is worth considering a case study on testing/confirming a high-performance gas turbine. In this case, the U.S. DOE is funding the study that raises the efficiency level of gas turbines made by OEMs in this U.S. DOE program. Key targets resulting from increased efficiency are fuel economy and emission reduction. Pouria Ahmadi, Ibrahim Dinçer, Comprehensive Energy Systems, exergoeconomic analysis of 2018 AC are explained. More information on exergoeconomic analysis, cost balances and exergoeconomic factors is discussed in this book and elsewhere [33-35]. To determine the cost of exergy destruction for AC, a cost ratio balance can be used. The cost ratio balance of this component can be written as follows: (12) $c_1 E_{x1} + c_w W_{AC} + Z_{AC} = c_2 E_{x2}$ where c_1 , c_2 and c_w unit costs of inflin air, output air and work, respectively. Here, the air of entry is taken free of charge, so the unit cost is zero, that is, it is the purchase cost ratio of ZAC AC, which can be expressed as follows: (14) $Z_{AC} = CRF \times (\dot{q})^N \times 3600 z_{ac}$ is the capital recovery factor for which AC and CRF are the purchase cost, this also depends on the interest rate i and equipment life n , and also, N specifies the number of working hours per year for the unit and (\dot{q}) is the maintenance factor, which is usually 1.06 [35]. Ac's purchase cost is predictable as follows [35]: (16) $Z_{AC} = c_{1111c12} - \eta_{AC} CRAC \ln(RAC)$ Defining OF's for each optimization problem is of great importance. In this example, multiple OF can be considered through multi-object optimization. When high efficiency is requested, compressor exergy efficiency is a reasonable OF to include. Eq. (19) as shown, compressor exergy efficiency is a function of compressor pressure ratio and isentropic efficiency. It could be another OF Cost, as eq expresses (20), is a function of compressor pressure ratio, air mass flow rate with compressor and compressor isentropic efficiency. Given these two OF, we can write: (19) $OF_1 = E_{x2} - E_{x1} W_{AC} (20) OF_{II} = Z_{AC} = (c_{1111c12} - \eta_{AC} CRAC \ln(RAC)) CRF \times (\dot{q})^N \times 3600 z_{ac}$ are the main design parameters or decision variables compressor pressure ratio and compressor isentropic efficiency. Therefore, it is considered our decision variables to perform multi-object optimization. To formulate a meaningful optimization problem, there are often restrictions that need to be satisfied when performing optimization, often to make sure that the solutions are reasonable and realistic. Here, two constraints are taken into account, as described in Table 1. Table 1. Physical constraints for the optimization of an air compressor (AC) Constraint Reason $RAC \leq 12$ May temperature limit $AC \leq 0.92$ Commercial availability A modified version of a GA developed with Matlab software was used to best determine among the most appropriate design parameters for an AC. Figure 4 shows the Pareto limit for multi-objective optimization of an AC, whose compressor pressure ratio and compressor isentropic efficiency are two main design variables. The range of values shown is limited to problem restrictions. Figure 4. Pareto limit for optimization of an air compressor (AC), highlighting the best trade between values for objective functions (OFs). In Restic 4, the total compressor cost increases significantly as the efficiency of compressor anergy increases up to 92%. Increasing total exergy efficiency increases the cost even more significantly. Figure 4 has maximum exergy efficiency at the c design point, while the compressor cost ratio is the highest at this point (\$33.1 h⁻¹). On the other hand, the minimum value for the compressor cost ratio consists of design point A and is about \$5.12 h⁻¹. Design point C is optimal when exergy efficiency is the only OF, while design point A is the optimum design when the product's total cost ratio is single OF. Point D is the ideal solution for multi-object optimization, since both OF are at the most appropriate values, meaning higher exceptional efficiency and lower total cost ratio. Since this point is not on the Pareto border, point B can be chosen as one of the best solutions because it is close to the ideal solution. Variations of compressor pressure ratio and compressor isentropic efficiency are shown in Figures 5 and 6, which show distribution distributions for populations at the Pareto boundary for each of these design parameters. The points in these figures are obtained from the developed Matlab code and show how design parameters vary within the allowed 5, Pareto frontier. Res. In 6, the compressor is the distribution distribution of ntropic efficiency and the range that can be allowed with the population. Distribution distribution distribution of compressor pressure ratio and permissible range with population at pareto border. In GA, a population that encodes candidate solutions (called individuals, living things or phenotypes) into an optimization problem (called chromosomes or genotypes of the genome) thrives toward better solutions. The distribution distribution of design parameters is within the range, indicating the good selection of these two parameters for optimization purposes. In Figures 5 and 6, it is stated that the points are not only close to the boundaries, but also almost randomly dispersed within their range (8-22 for the RAC and 0.78-0.92 for η_{AC}). In real optimization, the selection of decision variables is based on the scattered distribution of decision variables and provides an effective search for of of's best solution. Ibrahim Dinçer, Marc A. Rosen, Exergy (Second Edition), 2013 Air ambient pressure (1 bar) and temperature enter the T1 compressor. Kompresör çıkış sıcaklığı kompresör isentropik verimlilik η_{AC} , kompresör basınç oranı ρ_{AC} ve hava ya için özgül ısı oranı bir

