

Insertion sort python recursive

(alist, candidate, hi=hi) alist = alist[:] sort helper(alist, len(alist)-1) return alist A = [4, 1, 6, 3, 9, 10] A = insertionsort(A) print(A) Note that the first condition changed from testing a length to testing a position, and that the assist function works completely in place. This makes a copy, in the outer function. You can also change it back to an in-place sort, such as the original code by deleting two lines, and it will make zero copies. This is probably the best a recursive insertion to the Algorithm We start with an empty left hand and the cards face down on the table. We then remove one card at a time from the table and insert it into the correct position in the left hand. To find the right position for a card, we compare it with each of the cards are sorted in the left hand, and these cards were originally the top cards in the stack on the table. source: Introduction to algorithm of CLRS ITERATIVE INSERTION-SORT ALGORITHM INSERTION-SORT(A) 1 for j = 2 to length[A] 2 do key = A[j] 3 Insert A[j] into the sorted sequence A[1, j - 1]. 4 i = j - 1 5 while I & gt; 0 and A[i] & gt; key 6 do A[i + 1] = A[i] 7 i = i - 1 8 A[i + 1] = key Recursive insertion sort Insertion black can be expressed as a recursive procedure as follows. To sort A[1 . . . n], we recursively sort A[1 . . . n-1] and then insert A[n] into the sorted array A[1 . . . n - 1]. ALgorithm INSERT(item, A, n) 1. if n & lt; 1 2. A[0] = item 3. otherwise if & gt;= A[n] 4. A[n+1] = item 5. other 6. A[n+1] = A[n] 7. INSERT(item, A, n) 1. if n & lt; 1 2. A[0] = item 3. otherwise if & gt;= A[n] 4. A[n+1] = item 5. other 6. A[n+1] = A[n] 7. INSERT(item, A, n) 1. if n & lt; 1 2. 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INSERT(A[n], A, n-1) implementation in python import time def insert (item, A, n): if n &amp;lt; 0: A[0] = item elif element &amp;gt;= A[n]= if n == len(A)-1: A.append(item) else: A[n+1] = item other: if n == len(A)-1: A.append(A[n]) other: A[n+1] = A[n] insert(item, A, n-1) def insertion sort(A,n): if n & amp; amp; lt; 1: return A else: insertion sort(A,n-1) insert(A[n], A, n-1) A = [5,4,3,2,1] start time = hour.time() print(& amp; amp; Unsorted Array: %s& amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; %A) insertion sort(A, len(A)-1) print(& amp; quot; Sorted Array: %s amp; quot; %s amp; quot array: %s" %A) print(&--- %s seconds ---" % (time.time() - start time)) Explanation Insert is a tool function that recursively adds item to the specified array A of size n in order. For example, if we use insert to add 1 to an array A = [2] or if we use it to add 2 to an array A = [1]; in both we get A = [1.2]. In the above algorithm, we use this function to insert an item A[i] into sorted array A[1..i-1]. A[1..i-1]. is a function that takes an array A to be sorted and n (number of items in A). The function calls itself recursive to sort submaric A[1..n-1] and then insert A[n] into A[1..n-1]. This recursive call claims that inserting the item is performed on a sorted array DEMONSTRATION OF RECURSIVE CALL INSERTION BLACK WITH A = [5,4,3,2,1], n = 5 Call INSERTION-SORT with A = [5,4,3,2], n = 4 Call INSERTION-SORT with A = [5,4,3,2], n = 4 Call INSERTION SORT WITH A = [5,4,3,2], n = 4 Call INSERTION-SORT with A = [5,4,3,2], n = 4 Call INSERTION SORT WITH A = [5,4,3,2], n = 4 Call INSERTION-SORT with A = [5,4,3,2], n = 4 Call INSERTION SORT WITH A = [5,4,3,2], n = 4 Call INSERTION-SORT with A = [5,4,3,2], n = 4 Call INSERTION SORT WITH A = [5,4,3,2], n = 4 Call INSERTION SORT with A = [5,4,3,2], n = 4 Call IN [4.5] INSERT 3 IN A = [4.5] and n = 2 return A = [3,4,5] INSERT 2 in A = [4.5] and n = 2 return A = [4.5] and n = 2 returns 3,4,5] and n = 3 return A = [2.5 INSERT 1 in A = [2,3,4,5] and n = 4 return A = [1,2,3,4,5] Analysis Leave driving time on a problem with size n. when, the sum of the time it takes to sort the array of size n-1 and time is spent to insert the last item in the sorted array. The next guestion to trigger is what is the insert runtime? If we try to analyze we see that method recursively reduce the array by one to find the right place to fit in the item. For that, at worst the method will go through each element of the matrix; which will cost Thus for . CONCLUSION After understanding Recursive Insertion-Sorting algorithm read the analogy mentioned at the beginning of this post from the book Introduction to the Algorithm. You will find that even in the case of Recursive algorithm we maintain that analogy. There is no additional work to do in case of recursive insertion-sorting. The algorithm will first pick up the second item from the matrix and insert it into the sorted array on the left, currently with only one item. Then it will pick the third item and insert it into the sorted order. We make this the last element of the matrix. Finally, we have a sorted matrix. I try to write iterative and recursive versions of all the sorting algorithms in python. Other than the fact that I'm not returning anything, what's wrong with this? Is there a problem with my cutting? Solution attempt: def insertOne(item, aList): "Inserts the item in the correct location in a sorted list aList. input: item is an item to be inserted. aList is a sorted list. output: A sorted list. "' if len(aList) == 0: return [item] elif element & lt; aList[0]: return [item] + aList other: return aList[1:]) def sort(aList) == 0: return [] n = len(aList if n & gt; 1: sort(aList[:n - 1]) insertOne(n, aList) aList = [3,2,1] print black(aList) is a simple sorting algorithm that works the way we sort playing cards in our hands. Below is an iterative algorithm for insertion sorting Algorithm // Sort a scar[] of size n insertionSort (scar, n) Loop from i = 1 to n-1. a) Select item scar[i] and insert it into sorted sequence scar[0..i-1] Example: See Insert insertion for more information. How to implement it recursively? Recursive insertion sorting has no performance/implementation benefits, but can be a good question for controlling one's understanding of insertion. If we take a closer look at the Insert Sorting algorithm, we keep processed items sorted and insert new items one by one into the inserted matrix. Recursion Idea. Base cover: If the array size is 1 or less, return. Recursively first n-1 elements. Insert last item in the sorted array. Below is the implementation of the above idea. #include at & It;iostream>using namespace std; void insertionSortRecursive(int arr], int n) { if (n $k_{i} = 1$ = return; = insertionsort ecursive(= scar, = n-1 =); = int = last = arr[n-1]; int = j=n-2; while = (j=> = 0 & amp; arr[j] & gt; load) { arr[j+1] = last; } void printArray(int arr[], int n) { for (int i=0; i & lt; n; = i++) = cout = & gt; & lt; arr[i] = & gt; & lt; ; = } = int = main() = { = int = arr[] = {12, 11, = 13, = 5, = } } int= i=n-2; 6;= int= n=sizeof(arr]/sizeof(arr[0]); insertionsortrecursive(arr,= n);= printarray(arr,= n);= return= 0;= }= import= java.util.arrays;= public= class= gfg = {= static= void= insertionsortrecursive(int= arr],= int= n)= {= if= (n=></> <= 1)= return;= insertionsortrecursive(= arr,= n-1=);= int= last=scar[n-1]; J--; } scar[j+1] = last; } public static void main(String[] args) { int arr[] = {12, 11, 13, 5, 6}; while= (i=&qt:= 0 & amp: amp; scar[i] & qt; last) { scar[i+1] = scar[i]; insertionSortRecursive (arr. length) System.out.println (Arrays.toString(scar)); } def insertionSortRecursive(arr,n): if n<=1: return= insertionsortrecursive(arr,n-1)= last=arr[n-1] j=n-2 while= (j=>=0 and arr[j]>last): arr[j+0 1] = arr[j] j = j-1 scar[j+1]=last def printArray(arr,n): for in within range(n): print arr[i], scar = [12,11,13,5,6] n = len (scar) insertionSortRecursive(scar, n) printArray (scars, n) using System; class GFG { static void stati insertionSortRecursive (int []scars, int n) { if (n $l_{r=1} = return_{r=1} = re$ J--; $k_{t;}=k_{gt;k_{t;}}=1:k_{gt;k_{t;}}=$ for (int i = 0; I < scar. Length; i++) Console.Write(arr[i] +); } <?php function insertingSortRecursive(&\$arr, \$n) { if (\$n < = 1) return; insertionOrtRecursive(\$arr, \$n - 1); \$last = \$arr[\$n - 1]; \$last = \$arr[\$n - 1]; int []arr = {12, 11, 13, 5, 6}; insertionSortRecursive(scars, scars, Length); \$j = \$n - 2; while (\$j >= 0 & \$arr[\$j] > \$last) { \$arr[\$j + 1] = \$arr[\$j]; \$j--; Please write comments if you find something wrong or you want to share more information on the topic discussed ovenfor.om topic discussed above above

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